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Resilient Infrastructure Systems: Robustness And Distributed Coordination

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Abstract

The increasing interconnectivity of current critical infrastructure systems, including power grids and transportation infrastructure, is transforming them into a system-of-systems that is susceptible to catastrophic cascading failures triggered by natural disasters, cybersecurity breaches, and operational disruptions. Current literature lacks an effective approach towards capturing the interdependencies among these systems, along with the dynamic nature of their recovery process. Moreover, it fails to offer an appropriate decision-making mechanism to manage their resilience. To overcome these constraints, this research offers a resilient infrastructure system solution based on the coupling of power grid and transportation networks, employing a probabilistic interdependence model in conjunction with reinforcement learning optimization via Dynamic Namib Beetle Optimized Soft Actor-Critic (DNBO-SAC). This method incorporates a distributed coordination scheme to facilitate decentralized yet globally coherent decisions on managing infrastructure systems. Research employs a Kaggle dataset based on transportation network resilience, which includes traffic patterns, environmental disruptions, and infrastructure recovery characteristics. For data pre-processing purposes, the Min-Max normalization technique is employed to scale all features, and Principal Component Analysis (PCA) is adopted to select dominant spatiotemporal attributes. The suggested DNBO-SAC model provides better results of least Mean Absolute Percentage Error (MAPE) of 9.74% and Mean Absolute Error (MAE) of 3.28. The proposed approach implemented by utilizing the Python language. The model incorporating DNBO-SAC offers a great way to enhance the interdependent power grid and transportation system resilience through effective recovery strategies and minimizing cascading failures.

Keywords: Resilience, Reinforcement Learning (RL), Power Grid, Transport, Cascading Failures, Decision Making.

1. Introduction

Interdependency has become more common within the infrastructure sectors and exposed them to the risk of cascading failures. The failure that can occur in one infrastructure sector can cascade and affect other infrastructure sectors due to the interconnectedness within the network [1]. The growing penetration of electric vehicles has made the interaction between transport and electricity systems stronger. The complex relationships between traffic operations, electricity requirements, and energy distribution have resulted in highly integrated systems that need to be managed efficiently to ensure their smooth functioning [2]. The challenges facing urban centers become even more complex when compound crises arise through interrelated interruptions of infrastructure and utilities across industries and locations. Inability to provide necessities likes electricity, transportation, health care, and social support becomes an aggravating factor, undermining overall resilience [3]. However, power generation is now facing challenges from climate change that pose threats to the stability of power generation and the reliability of infrastructure systems. Meteorological factors have an impact on the level of energy consumption and how the system operates [4]. The most common natural disasters include floods that create challenges for urban areas and the transportation infrastructure. Such events affect the mobility of the population, damage important infrastructure, and demonstrate the increasing importance of urban transport resilience [5]. The global energy shift has led to the development of smart grids and virtual power plants as technologies which allow for integrating renewable energy and effective energy management systems. Together, these technologies contribute to enhanced efficiency and flexibility of power generation and distribution [6]. This research aims to develop a resilient decision-making framework for interdependent power grid and transportation systems by integrating probabilistic interdependence modeling with Dynamic Namib Beetle Optimized Soft Actor-Critic (DNBO-SAC) reinforcement learning.

Research Organization: Segment 1 presents the background and foundational concepts related to interdependent infrastructure resilience. Segment 2 indicates the related work and existing research contributions. Segment 3 describes the proposed methodology in detail. Segment 4 outlines the experimental setup, evaluation metrics, and performance analysis. Finally, Segment 5 concludes the research and discusses potential directions for future research.

2. Related Work

Machine Learning (ML) models, Linear Regression (LR), Light Gradient Boosting Machine (LightGBM), Random Forest (RF), Categorical Boosting (CatBoost), and Extreme Gradient Boosting (XGBoost), were tested using an interpretability method to estimate Electric Vehicle (EV) charge demand for sustainable energy system design purposes [7]. To evaluate the vulnerability of traffic and energy infrastructure systems in relation to the increasing typhoon threats, a simulation model based on the Monte Carlo (MC) method was designed. Interdependencies have caused delays in the recovery process of traffic by 239%, and that of power by 18.3%. But the simulation was conducted only in Kaohsiung City during typhoon disruptions [8]. The Multi-Criteria Decision Making-Geographic Information System (MCDM-GIS) method was introduced for the evaluation of the adaptability of the Changchun urban transportation system to extreme climate changes. It turned out that 38.6% of regions had very low adaptability, but high adaptability was found in only 5.4%. Unfortunately, the evaluation did not include any dynamic recovery process modeling [9]. Long Short-Term Memory (LSTM) and Dual graphs were was utilized to estimate resilience regarding toll stations to rainfall disruptions, outperforms Curve Mean Absolute Error (MAE) 0.1123 and Curve Root Mean Square Error (RMSE) 0.1765. But, its applicability was restricted to expressways [10]. A three-level model combining spatial analysis, service coverage evaluation, and routing optimization was proposed to analyze the resilience of emergency services in response to urban flooding and traffic congestion. The findings revealed that Emergency Medical Services (EMS) coverage dropped from 89.9% to 23.6%, and Fire and Rescue Services (FRS) coverage dropped from 72.4% to 15.1%. Nonetheless, there was no discussion on restoring infrastructures [11]. A risk-index-based collaborative control approach was introduced for the mitigation regarding the sequential malfunctions in electrical grids at the time of natural disasters. The findings revealed that the disaster-induced risk of cascading failures was around 5 times higher, and the risk of sequential malfunctions was decreased to 80%. However, transportation dependencies have not been taken into account [12]. The hierarchical modern power system restoration model was designed to improve power system restoration after large blackouts. This model decreased the time for restoration by 18.6% and costs by 15.4%, while keeping grid stability above 85%. It only addressed power systems but ignored transportation infrastructure interdependence [13]. The Optimal Flow Deep Reinforcement Learning Gated Recurrent Unit (OF-DRL-GRU) algorithm was designed to optimize stability for load balancing in current power grids. It showed improved performance regarding accuracy, recall, and stability compared to other existing methods. However, it did not address infrastructure restoration and interdependencies among systems [14]. A risk-aware Hierarchical Interpretable Spatio-Temporal Graph Neural Network (HISTGNN) model was used for diagnosing and predicting the risk of traffic congestion in urban transportation networks. It resulted in Mean Absolute Percentage Error (MAPE) of 9.5%, RMSE of 0.071, Coefficient of Determination (R^2) of 0.872, and MAE of 0.058, it had restrictions as it could only be applied to transportation networks and ignored infrastructure networks [15]. Alternating Direction Method of Multipliers-Federated learning (ADMM-FL) was utilized to optimize coupled power and transportation systems with multimodal data integration. It results in an MAPE of12.12%, MAE of4.16, but the model validation only considered the modified distribution network [16].

3. Methodology

The proposed approach provides a comprehensive process that involves all stages of resilient power transport network analysis. Firstly, transportation, power, flood, and recovery data are collected from the resilience database to understand the performance of interdependent infrastructures. The Min-Max normalization technique helps to scale all the features uniformly. Principal Component Analysis (PCA) is performed on this data to minimize redundancy and extract dominant spatiotemporal patterns. Soft Actor-Critic (SAC) is used as an intelligent decision-making technique in which Dynamic Namib Beetle Optimization (DNBO) is employed for hyperparameter tuning and feature selection (Figure 1).

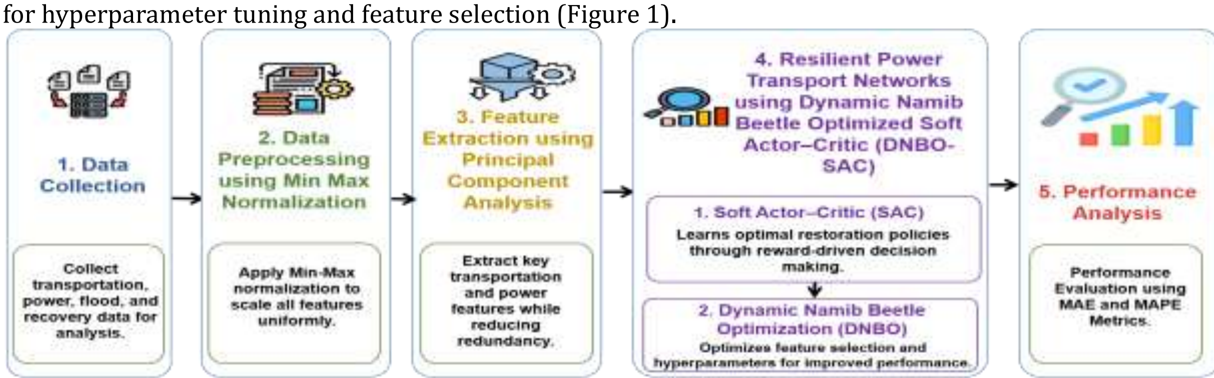


Figure 1: Methodology of Proposed DNBO-SAC Method

3.1 Data Acquisition

The transportation resilience dataset extracted from Kaggle (https://www.kaggle.com/datasets/ziya07/transportation-resilience-dataset/data) includes around 5000 records that provide information about the state of transportation infrastructure, traffic management, environment, and resilience measures during disruptive events. This dataset is used to research the resilience and restoration behavior of the power and transportation systems. Before building the model, data pre-processing and normalization are applied to improve the quality of the data. The dataset is split into 80% training set and 20% testing set.

3.2 Min-max Normalization for Data Pre-processing

The normalization used to acquire power and transportation characteristics through Min–Max normalization to ensure that all the characteristics are within a range of 0 and 1. This ensures that there are no characteristics that carry large numbers, like power requirements and traffic load, which can take dominance during the learning phase. Normalization ensures improved performance and helps the reinforcement learning algorithm discover relationships between the infrastructure characteristics related to failure propagation and recovery.

$$F_k = \frac{F_d - F_{min}}{F_{max} - F_{min}} \quad (1)$$

In Equation (1), F refers to the transport feature values of data, k denotes the normalized values, F_k indicates the output of normalization after scaling, d represents the input data value, F_d refers to the input transport feature value extracted from the dataset, max and min indicates the upper bounds, and lower bounds, F_{min}, and F_{max} represent the lower values, and upper values for the transport attributes.

3.3 Dimensionality reduction using Principal Component Analysis (PCA)

The transportation resilience dataset has various correlated features related to traffic operations, state of the infrastructure, environmental disruption, and recovery capability. PCA is used to reduce these interrelated attributes to a reduced count of independent orthogonal components without losing most of the information contained in the original set of variables. It helps to eliminate redundancy, simplify computations, and address problems of multicollinearity in transportation features.

$$M_{ps} = \frac{(Y_{ps} - \mu_{ps})}{\sigma_{ps}} \tag{2}$$

In Equation (2), M refers to the transport feature value of standardization, p denotes the observation of the instance, s is the index of the feature, M_{ps} represents the standardized form of attribute s of the instance p, Y denotes the transport feature value of the original data, Y_{ps} depicts the attribute values before standardization, μ and σ represent the average and spread measure of the features, μ_{ps} and σ_{ps} refer to the average and spread measure values of the transport and power attribute respectively.

3.4 Resilient Power Transport Networks using Dynamic Namib Beetle Optimized Soft Actor–Critic (DNBO-SAC)

Research proposes a technique to enhance the resilience of transportation systems by applying a hybrid SAC and DNBO. In SAC, an actor-critic scheme is employed with entropy maximization to make decisions in a state of uncertainty. This algorithm applies the actor for making recovery decisions and the critic, which measures the success of the recovery decisions by minimizing Bellman error. On the other hand, DNBO makes use of the Namib beetle behavior in performing global population searches. Each individual in the population corresponds to resilience-related parameters, such as infrastructure and disruption levels.

3.4.1 Power Transport System Restoration using Soft Actor–Critic (SAC)

SAC method is a reinforcement learning algorithm that incorporates actor–critic learning and entropy maximization to help make decisions in an uncertain environment. In transportation resilience analysis, the role of the actor network is to select the right mitigation and recovery measures for a particular state of the transportation system, whereas the critic network assesses how well the selected measures work by estimating their effect on the system's resilience.

Policy Objective with Entropy Regularization: The goal of SAC is to achieve maximum resiliency in the transportation system while still ensuring adequate exploration of other recovery options. The objective of the policy is articulated in Equation (3).

$$I_\pi(\phi) = \mathbb{E}_{t_s \sim C, b_s \sim \pi_\phi}[\alpha \mathcal{H}(\pi(.|t_s)) - R_\theta(t_s, b_s)] \tag{3}$$

Where, I refers to the objective function of policy, π denotes the rule of action selection,ϕ represents the network parameters of the policy,$I_\pi(\phi)$indicates the objective improvement of policy, $\mathbb{E}$ refers to the trajectories expectation, t indicates the state of index, s refers to the state vector of the system,∼ indicates the generation from transport data, t_s represents the system state of infrastructure,Cdenotes the distribution state of transport,brefers to the recovery action of the selected areas, b_s indicates the decision of recovery action,π_ϕ denotes the policy network of the action,$\mathbb{E}_{t_s \sim C, b_s \sim \pi_\phi}$represents the average from the action and state pairs, α refers to the tradeoff factor of entropy, $\mathcal{H}$ indicates the term of entropy policy,. refers to the action place holder,|indicates the information of traffic in transport, $\mathcal{H}(\pi(.|t_s))$refers to the state entropy policy,R denotes the reward function of resilience, θ refers to critical parameters of the network, R_θ represents the reward function of parameterized resilience, and $R_\theta(t_s, b_s)$ denotes the estimation of resilience reward.

Q-Value Objective: The critic network measures how effective a chosen action is towards the recovery process through the minimization of the Bellman error in Equation (4).

$$I_R(\theta) = \mathbb{E}_{t_s, b_s \sim C}\left[\frac{1}{2}\left(Q_\theta(t_s, b_s) - \left(q(t_s, b_s) + \gamma \mathbb{E}_{t_{s+1} \sim o}[U(t_{s+1})]\right)\right)^2\right] \tag{4}$$

Where, I refers to the objective function of policy,R denotes the reward function of resilience,θ refers to critical parameters of the network,$I_R(\theta)$ represents the objective of critical loss, $\mathbb{E}$ refers to the trajectories expectation, t indicates the state of index, sand $s+1$ refers to the current and future state vector of the system,∼ indicates the generation from transport data, t_s represents the system state of infrastructure, b refers to the recovery action of the selected areas, b_s indicates the decision of recovery action, C denotes the distribution state of transport,$\mathbb{E}_{t_s, b_s \sim C}$ refers to the average of Q indicates the state action pair estimation, Q_θ refers to the critical function of parameter, $Q_\theta(t_s, b_s)$ represent the current critical values of the function critical parameters,q refers to the immediate rewardof traffic performance,$q(t_s, b_s)$denotes the reward oftransport system, γ indicates the return weight in decision making of transport system,o refers to the distribution of the transition environment,$\mathbb{E}_{t_{s+1}\sim o}$ represents the distribution of transport state over the expectation, U indicates the future value of transportation system,and $U(t_{s+1})$ represents the estimation of future values.

$$U(t_{s+1}) = \mathbb{E}_{b_{s+1}\sim\pi_\phi}[Q_\theta(t_{s+1}, b_{s+1}) - \alpha \log Q_\theta(b_{s+1}|t_{s+1})] \quad (5)$$

In Equation (5), U indicates the future value of transportation system,t indicates the state of index, $s + 1$ refers to the prior state vector of the system, $\mathbb{E}$ refers to the trajectories expectation,b refers to the recovery action of the selected areas,b_s indicates the decision of recovery action,$\sim$ indicates the generation from transport data,π denotes the rule of action selection, ϕ represents the network parameters of the policy,$\pi_\phi$refers to the policy function of state action, Q indicates the state action pair estimation,θ refers to critical parameters of the network,Q_θ refers to the critical function of parameter,t indicates the state of index,t_s represents the system state of infrastructure,$Q_\theta(t_{s+1}, b_{s+!})$ represents the future critical values of the function critical parameters,, α refers to the tradeoff factor of entropy,log denotes the logarithm function,$\log Q_\theta$ critic value estimation logarithm,$b_{s+1}|t_{s+1}$ is thegiven state of next transport action, and $\log Q_\theta(b_{s+1}|t_{s+1})$denotes the value of logarithmic estimation of future transport.

3.4.2 Hyperparameter tuning using Dynamic Namib Beetle Optimization (DNBO)

DNBO is based on the behavior of the Namib Desert beetle and is used as a heuristic approach to minimize the adverse impact of cascading failures to strengthen the resilience of power grid and transportation systems. This method allows for the effective search for solutions under uncertain disruption scenarios because of its inspiration from the adaptive search pattern of this beetle species. By considering resilient features, which are drawn from the transportation resilience database, such as infrastructure status, transport performance, disruption, and recovery measures, each beetle symbolizes a potential solution to the problem.

$$MA = [X_1, X_2, X_3, \ldots, X_C] \quad (6)$$

In Equation (6), MA denotes the multivariate feature of the transportation dataset,X indicates the vector of transport features, C refers to thetotal count of features, and $X_1, X_2, X_3, \ldots, X_C$ represent the feature vectors of transport.

$$POP = \begin{bmatrix} MA_{1,1} MA_{1,2} \cdots MA_{1,D} \\ MA_{2,1} MA_{2,2} \cdots MA_{2,D} \\ \cdots \\ \cdots \\ \cdots \\ MA_{N,1} MA_{N,2} \cdots MA_{N,D} \end{bmatrix} \quad (7)$$

In Equation (7), POP represents the population solution matrix, MA denotes the multivariate feature of the transportation dataset,D refers to the number of features, and Nindicates the total count of samples.

$$MA_{i,j} = L + (U - L)q \text{ and } (0,1) \quad (8)$$

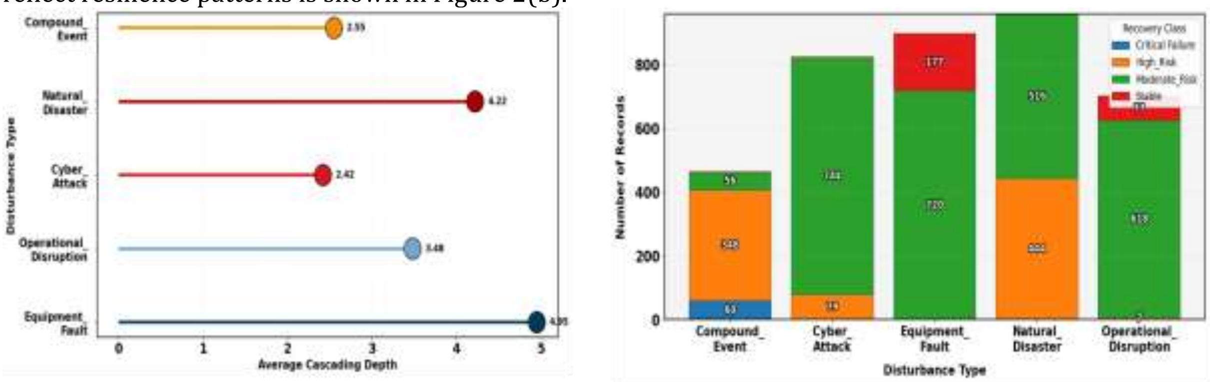
In Equation (8),MA denotes the multivariate feature of the transportation dataset, i and j refer to the index of samples and features, $MA_{i,j}$ depicts the transport feature value of normalization,L and U represent the lower and lower range of features, andq indicates the scaling factor.

Hyperparameter Tuning of ProposedDNBO-SAC Method: The DNBO-SAC algorithm is designed with optimal hyperparameters to achieve learning stability and efficiency for the transport resilience optimization problem. The learning rate for actor and critic are both 0.00032, 0.00028, respectively, whereas the discount factor γ is 0.98, providing a trade-off between immediate and future rewards. The value of the soft update coefficient τ is 0.006, and the entropy temperature α is 0.21. The batch size and the replay memory size used by the algorithm are 64 and 100000, respectively. The neural network employed by the DNBO-SAC algorithm has 2 layers with 256 neurons in each layer, having Adam optimizer and Rectified Linear Unit (ReLU). The parameters for DNBO include a population of 30 with 100 iterations, exploring 0.76 and exploiting 0.24.

4. Result

DNBO-SAC algorithm is built on a Windows 10 OS platform, employing Python version 3.9. Deep learning (DL) operations are performed in PyTorch or Tensorflow, whereas SAC and DNBO are merged in a custom SAC algorithm to optimize the results. For numerical calculations and other manipulations, NumPy, Pandas, SciPy, and Scikit-learn packages are utilized, along with Matplotlib and Seaborn for visualizing graphs and charts. The development of the model takes place in a Jupyter notebook platform. Various metrics are used to assess its performance. The computer configuration consists of an Intel i7 or Ryzen 7 processor, NVIDIA GTX 1660 or RTX 3060 Graphics Processing Unit (GPU), along with 16GB – 32GB Random Access Memory (RAM) ensuring efficient offline training and testing process.

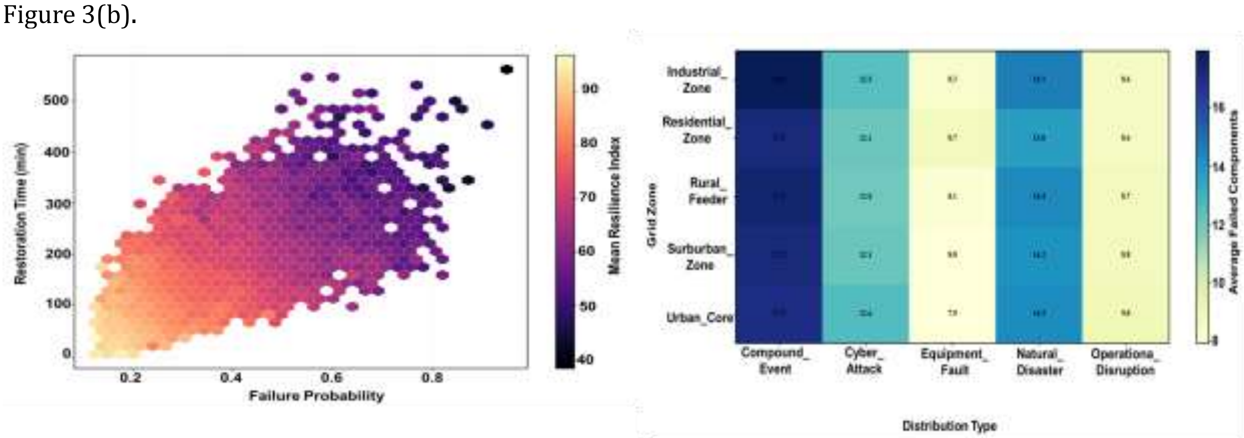
Explorative Data Analytics: The comparison of disturbance based on the mean of cascading depth and recovery distribution, where natural disasters and equipment failure have greater cascading impacts, whereas recovery distributions differ in the three classes, is represented in Figure 2. The average cascading failure depth of each disturbance type, including failures in machines, cyber-attacks, or disaster situations, showing the differences in seriousness under varying circumstances, is depicted in Figure 2(a). The distribution of recovery classes, namely stable, moderate risk, and critical failure, among others, under various disturbance classes to reflect resilience patterns is shown in Figure 2(b).



(a) (b)

Figure 2: Visualization of (a) Spectrum Analysis of Cascading Failure, and (b) Distribution Analysis of Recovery Class.

The contrasts the failure probability with repair times and resilience, as well as how grid zones are affected depending on the disruption type, shown in Figure 3. The correlation between failure probability and restoration time, while hexbin density highlights mean variations of the resilience index, thus showing how higher probabilities of failure lead to higher delays, is represented in Figure 3(a).The averages for affected components per grid zone for each type of distribution, showing variations in impact magnitude in compound events, cyber-attacks, equipment malfunctions, natural calamities, and operational interruptions, as shown in Figure 3(b).



(a) (b)

Figure 3: Graphical Representation of (a) Risk Density of Failure Delay, and (b) Impact Heatmap of Grid Zone.

Evaluation Metrics and Performance Analysis: MAE and MAPE are two performance measures that can be used to determine the magnitude of prediction errors. The **MAE** calculation determines the mean absolute deviation from the estimated value and the real value used in transportation resilience forecasting. The metric targets to determine the predictive reliability of the DNBO-SAC approach. **MAPE** calculates the average percentage error between predictions and actual observations, demonstrating prediction precision relatively. Here, a low value of MAPE is an indicator of robustness and reliable operation of DNBO-SAC in different scenarios.

DNBO-SAC Model performs better as compared to the current Baseline models for the task of traffic speed prediction through improved predictions in terms of MAE and MAPE measures shown in Table 1 and Figure 4. Specifically, ADMM-FL [16] has an MAE of 4.16 and an MAPE of 12.12%, Spatio-Temporal Graph Convolutional Network (STGCN) [16] and the errors for Spatio-Temporal Long Short-Term Memory (ST-LSTM) [16] are higher, implying lower accuracy for these models under more challenging spatiotemporal environments. Similarly, a Hybrid model consisting of Spatio-Temporal Graph Convolutional Network - Bidirectional Long Short-Term Memory (STGCN-BiLSTM) [16] offers improvements but still has relatively high MAEs of 7.54 and 18.21% for MAPE. Conversely, the proposed model is able to achieve low error rates with MAEs of 3.28 and 9.74% for MAPE.

Table 1: Comparative Assessment of the Introduced and the Baseline Methods

Prediction Model	MAE	MAPE
ADMM-FL [16]	4.16	12.12%
ST-LSTM [16]	8.35	19.85%
STGCN [16]	6.91	16.53%
STGCN-BiLSTM [16]	7.54	18.21%
DNBO-SAC [Proposed]	3.28	9.74%

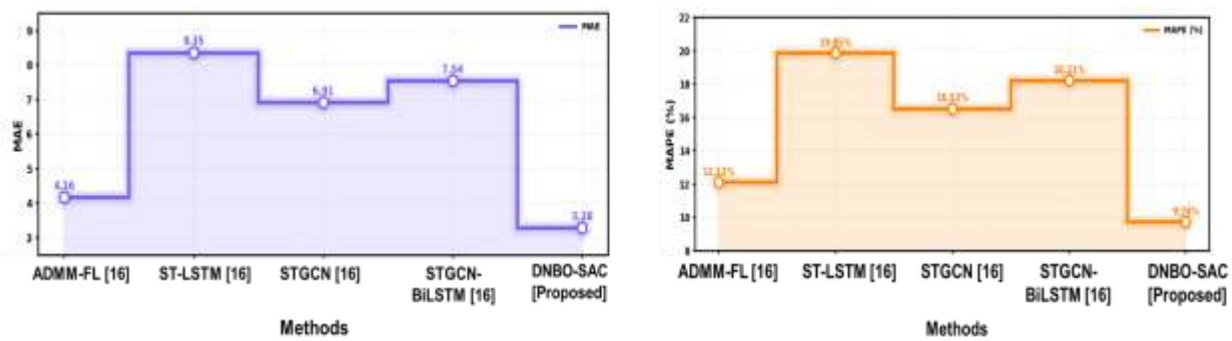


Figure 4: Evaluation analysis of proposed and traditional approaches

The Baseline models, including ADMM-FL, ST-LSTM, STGCN, and STGCN-BiLSTM, were retrained in identical experimental settings on the Transportation and Power Infrastructure Resilience dataset. Important feature attributes related to infrastructure condition, traffic conditions, disruptions, and recovery measures were kept for model training purposes. The proposed DNBO-SAC model proved to be superior to all baseline models as depicted in Table 2.

Table 2: Retained Analysis of Baseline and Proposed Methods

Prediction Model	MAE	MAPE
ADMM-FL	5.02	14.38%
ST-LSTM	9.67	21.44%
STGCN	7.85	18.62%
STGCN-BiLSTM	8.96	20.17%
DNBO-SAC (Proposed)	3.28	9.74%

Discussion

Current models have limited capabilities in adaptability, temporal learning, and robustness. The ADMM-FL [16] approach demonstrates low adaptability to highly dynamical and non-linear interdependent infrastructure network settings and is less likely to have a high level of predictive reliability in such an environment. The ST-LSTM [16] approach cannot accurately model long-term dependencies, resulting in increased errors in predicting complex spatiotemporal traffic patterns. STGCN [16] can learn sequences only within a short time span, making it ineffective in predicting temporal variation in transportation networks. Lastly, STGCN-BiLSTM [16] increases the difficulty of computation and the likelihood of overfitting, hence poor performance. The suggested DNBO-SAC approach is capable of addressing the aforementioned limitations due to the utilization of reinforcement learning through entropy-based exploration and global search based on DNBO. It provides enhanced adaptability to non-linear and dynamic conditions, increased capabilities to learn temporal dependencies, minimized overfitting risk, and improved robustness for decision-making under uncertain conditions.

5. Conclusion

The resilient infrastructure systems model is proposed to boost resilience and coordinated recovery of interconnected power grid and transportation systems facing cascading failures. This method leverages the power of probabilistic interdependency modeling along with decision making through reinforcement learning and optimization through the use of the DNBO-SAC model. Data preprocessing using feature normalization and PCA boosts the quality and efficiency of the learning process. It has been proven experimentally that the proposed methodology substantially outperforms existing solutions on measures of MAE of 3.28 and MAPE of 9.74%, exhibiting superior recovery speed and reliability. The suggested model uses one transportation resilience database with simulated interdependencies that might not be generalized to a variety of real-world cases with different environmental conditions in terms of power grids and transportation networks. Future work can use data from various types of sensors in real time and scale up the model for multiple-region infrastructures that are interconnected with each other.

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